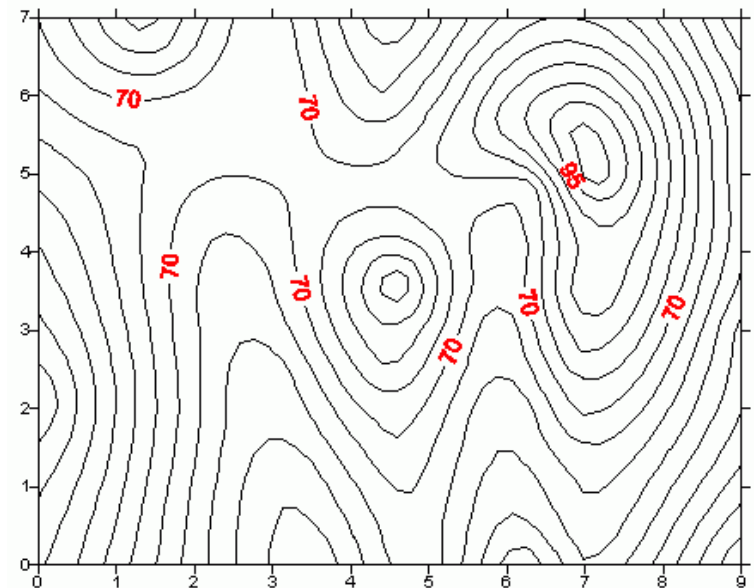
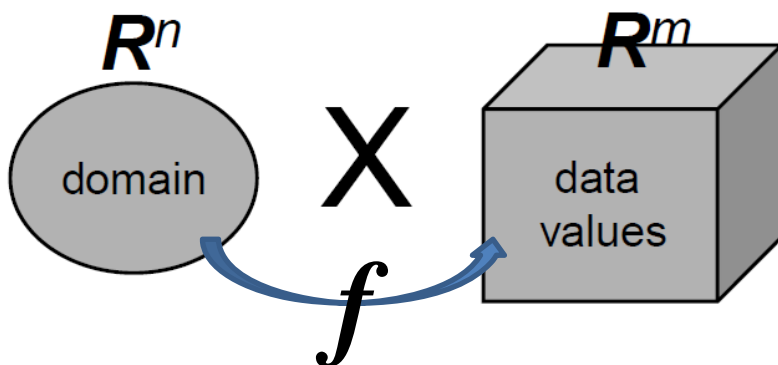
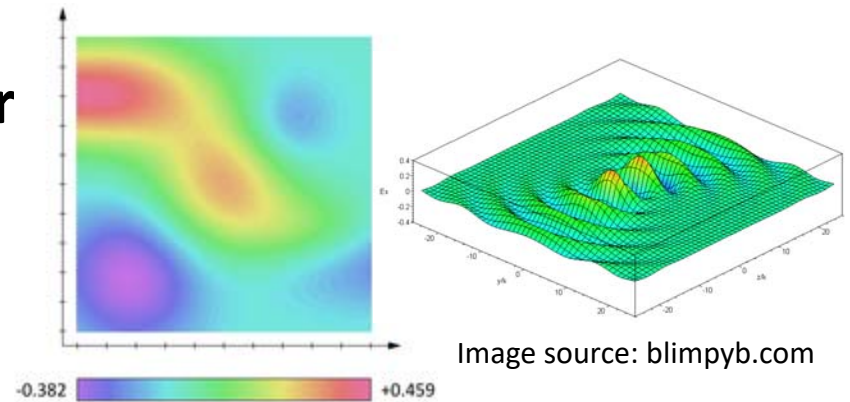
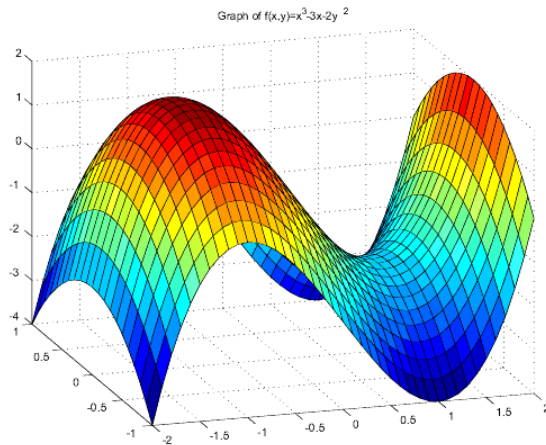


Scalar Field Visualization I

Goal: know what is a scalar field; what are the standard visualization techniques for 2D scalar fields, including color plots and iso-contouring.

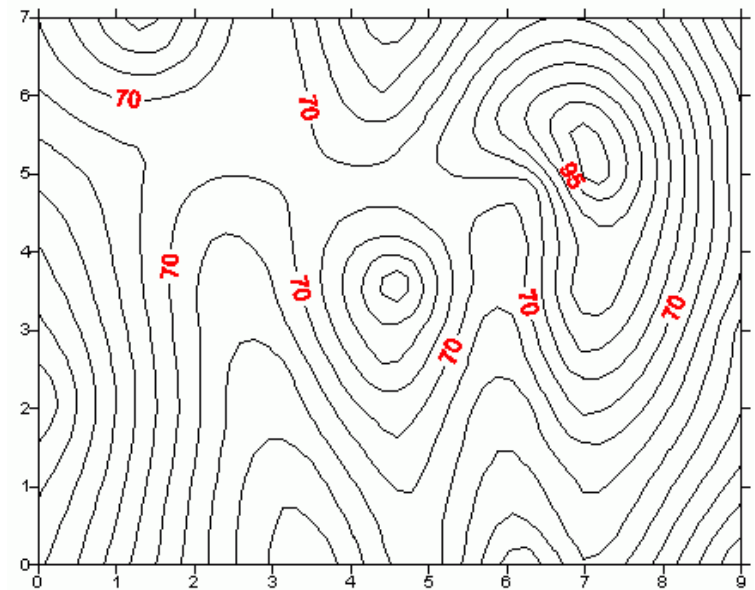
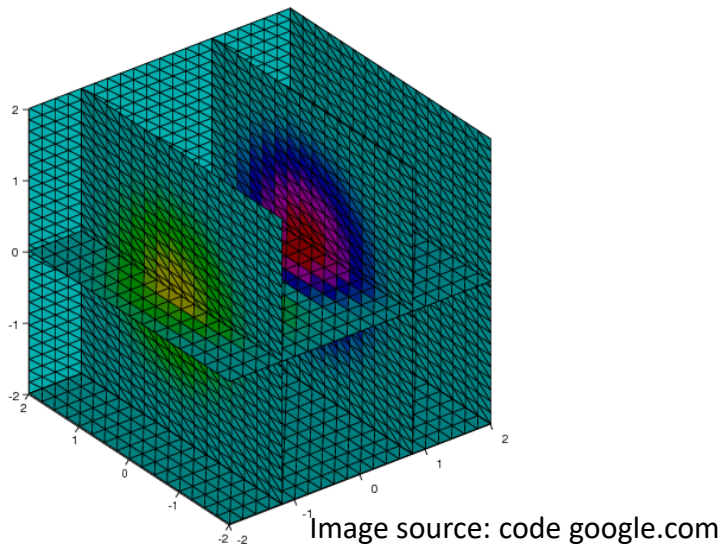
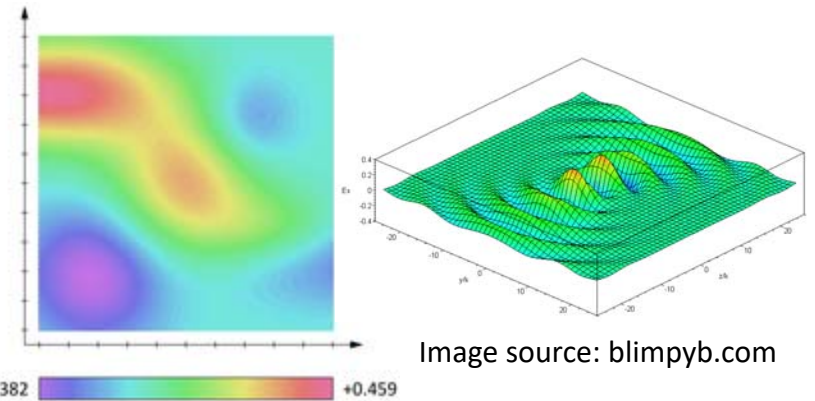
What is a Scalar Field?

- An approximation of certain scalar function in space $f(x,y,z)$.



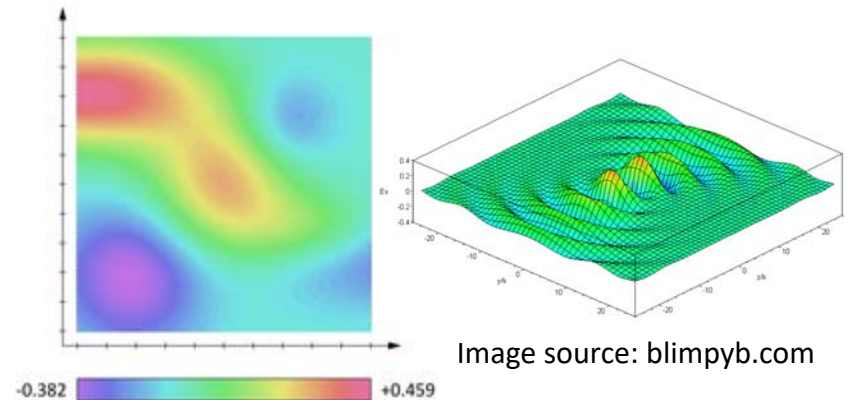
What is a Scalar Field?

- An approximation of certain scalar function in space $f(x,y,z)$.
- **Representation:** Most of time, they come in as some scalar values defined on some sample points.

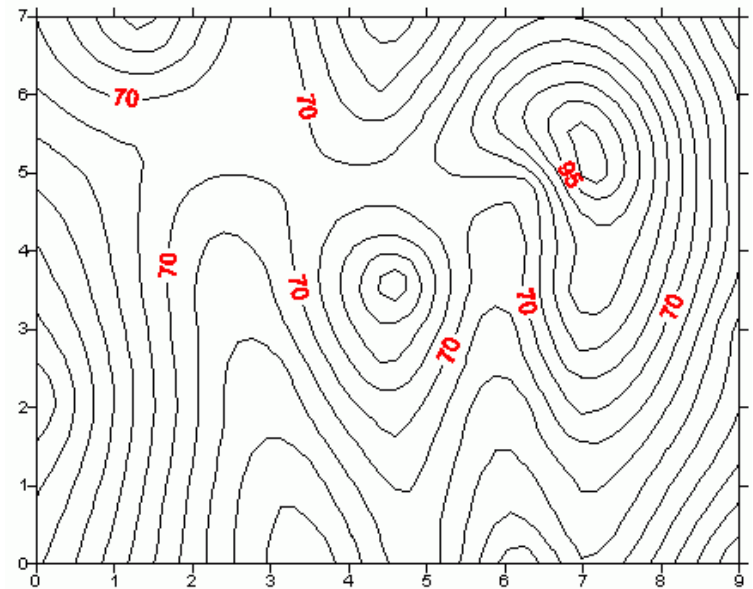


What is a Scalar Field?

- An approximation of certain scalar function in space $f(x,y,z)$.
- Most of time, they come in as some scalar values defined on some sample points.

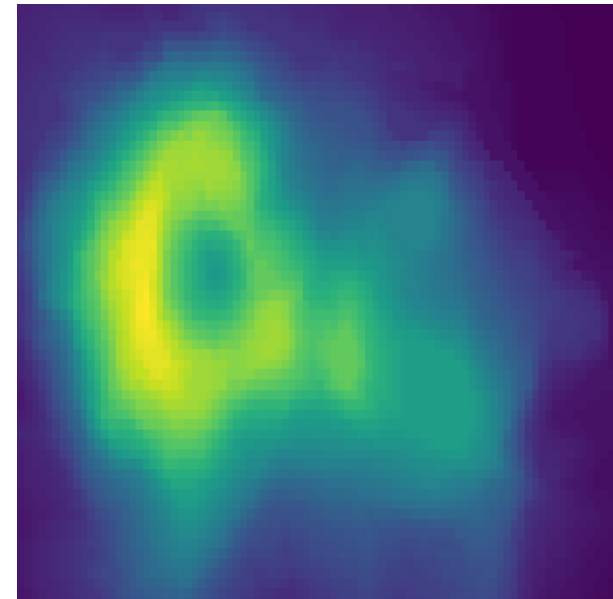
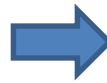


- **Visualization primitives:**
 - Geometry:
 - iso-contours (2D), iso-surfaces (3D),
 - Optical attributes:
 - colors, transparency (3D), 3D textures.



Generate 2D color plots

```
29, 31, 37, 41, 23, 43, 47, 19, 53, 17, 59, 61, 67, 71, 73, 13, 79, 83, 89, 11, 97, 101, 103, 107, 1
49, 179, 181, 121, 191, 193, 197, 199, 5, 211, 25, 169, 223, 227, 229, 233, 239, 241, 990, 251, :
281, 283, 960, 209, 966, 85, 95, 65, 221, 930, 293, 115, 924, 55, 203, 145, 307, 247, 155, 311, :
936, 3, 205, 9, 882, 337, 259, 978, 215, 27, 858, 954, 972, 918, 299, 347, 948, 912, 349, 910, 9:
888, 301, 265, 367, 894, 876, 373, 361, 175, 341, 379, 864, 846, 852, 69, 87, 93, 295, 816, 828,
141, 756, 950, 822, 39, 159, 804, 880, 275, 397, 720, 770, 177, 33, 714, 1000, 183, 401, 920, 9:
219, 371, 726, 768, 391, 762, 952, 171, 850, 99, 243, 744, 237, 325, 355, 738, 660, 207, 419, 8:
630, 696, 820, 21, 261, 431, 830, 938, 684, 291, 433, 279, 303, 63, 700, 760, 868, 309, 988, 39:
740, 339, 437, 654, 826, 147, 427, 449, 884, 333, 946, 415, 648, 624, 642, 728, 730, 636, 836, :
369, 618, 650, 381, 451, 461, 742, 425, 588, 945, 463, 594, 748, 606, 670, 814, 351, 393, 874, :
754, 782, 417, 620, 686, 616, 644, 658, 832, 576, 135, 423, 610, 469, 473, 546, 564, 682, 479, :
646, 453, 481, 992, 928, 550, 676, 273, 475, 487, 574, 357, 455, 572, 598, 722, 231, 459, 528, :
944, 976, 493, 530, 532, 848, 975, 405, 520, 608, 510, 516, 578, 752, 489, 656, 688, 904, 345, +
592, 632, 664, 712, 844, 892, 908, 916, 932, 956, 964, 255, 435, 499, 506, 536, 568, 584, 585, :
724, 734, 746, 758, 764, 766, 772, 778, 788, 794, 796, 802, 818, 838, 842, 862, 866, 878, 886, :
128, 256, 422, 446, 452, 454, 458, 465, 466, 472, 478, 482, 488, 494, 495, 496, 500, 501, 502, :
586, 614, 622, 626, 634, 662, 298, 302, 314, 326, 334, 346, 358, 362, 382, 386, 388, 394, 398, +
262, 274, 278, 316, 332, 356, 503, 555, 194, 202, 206, 214, 218, 268, 284, 292, 376, 490, 492, :
142, 146, 195, 212, 486, 615, 118, 122, 296, 368, 416, 519, 106, 188, 442, 448, 470, 511, 561, 6
82, 86, 148, 165, 304, 460, 480, 418, 434, 609, 74, 124, 338, 468, 537, 675, 116, 272, 352, 517,
374, 819, 92, 152, 462, 627, 885, 46, 400, 410, 444, 521, 136, 535, 539, 915, 76, 208, 438, 523,
545, 595, 364, 176, 370, 380, 104, 591, 777, 322, 414, 597, 603, 621, 52, 105, 286, 402, 408, 2:
759, 861, 308, 551, 22, 196, 266, 310, 633, 420, 639, 366, 372, 547, 350, 559, 605, 903, 290, 6:
987, 342, 324, 681, 200, 687, 260, 563, 56, 318, 230, 583, 699, 182, 360, 711, 28, 160, 569, 14,
625, 154, 220, 282, 577, 729, 957, 747, 635, 637, 100, 170, 783, 276, 753, 891, 80, 258, 623, 5:
300, 789, 216, 805, 20, 130, 801, 10, 222, 599, 837, 228, 601, 807, 234, 813, 192, 110, 252, 60:
174, 617, 649, 619, 144, 198, 873, 240, 725, 679, 879, 631, 909, 108, 138, 156, 671, 70, 96, 92:
132, 647, 102, 951, 963, 999, 54, 180, 755, 48, 775, 653, 689, 721, 981, 36, 210, 659, 24, 126, :
749, 677, 84, 120, 713, 683, 763, 737, 815, 691, 90, 731, 847, 42, 835, 701, 791, 833, 60, 709, :
905, 743, 751, 799, 757, 761, 769, 931, 817, 955, 889, 773, 965, 787, 985, 917, 869, 995, 797, :
839, 901, 899, 923, 853, 857, 859, 863, 949, 877, 881, 979, 883, 943, 887, 907, 911, 919, 989, :
```



Goal: know how to *design proper transfer functions*,
how to produce color plots



Do we need to construct/extract additional geometry?

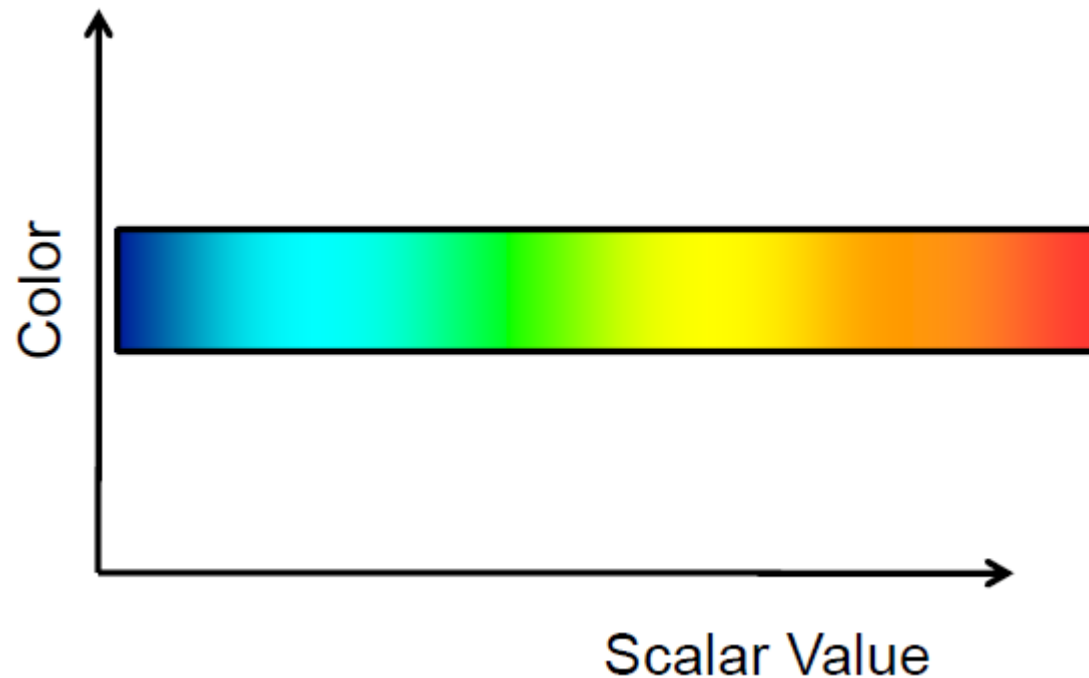
NO!

How to generate color plots?

Steps of generating 2D color plots

- 1. Design color transfer function**
2. Color interpolation

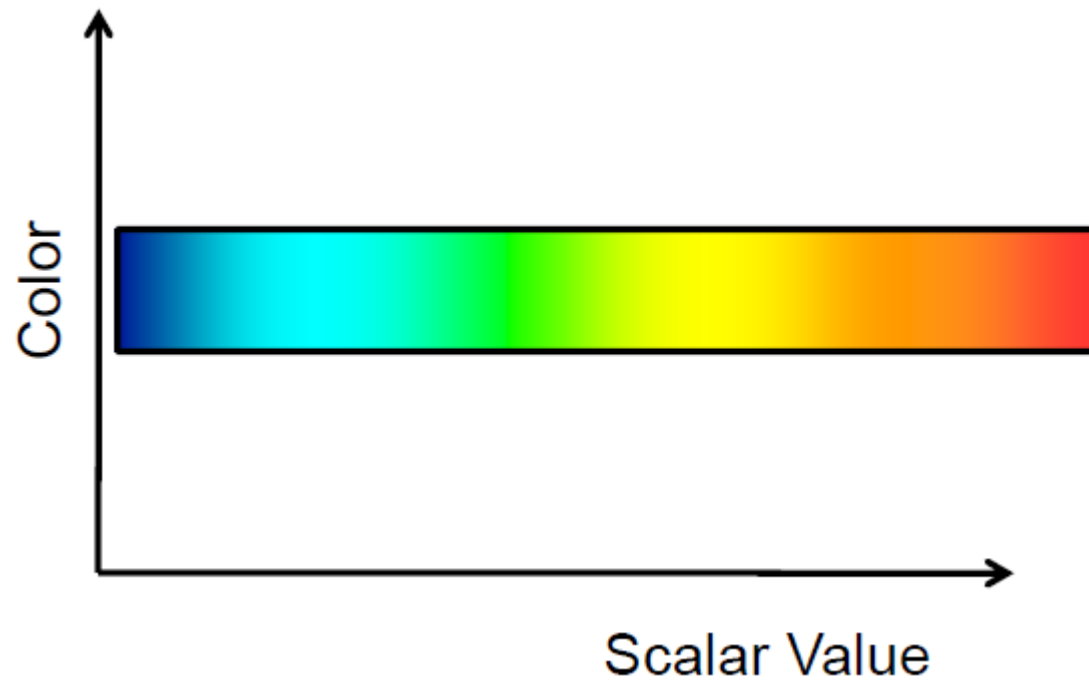
To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value. The following shows a simple transfer function.



Scalar values $[smin, smax]$ $\rightarrow [0,1]$ \rightarrow Colors

Transfer function

To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value.
The following shows a simple transfer function.

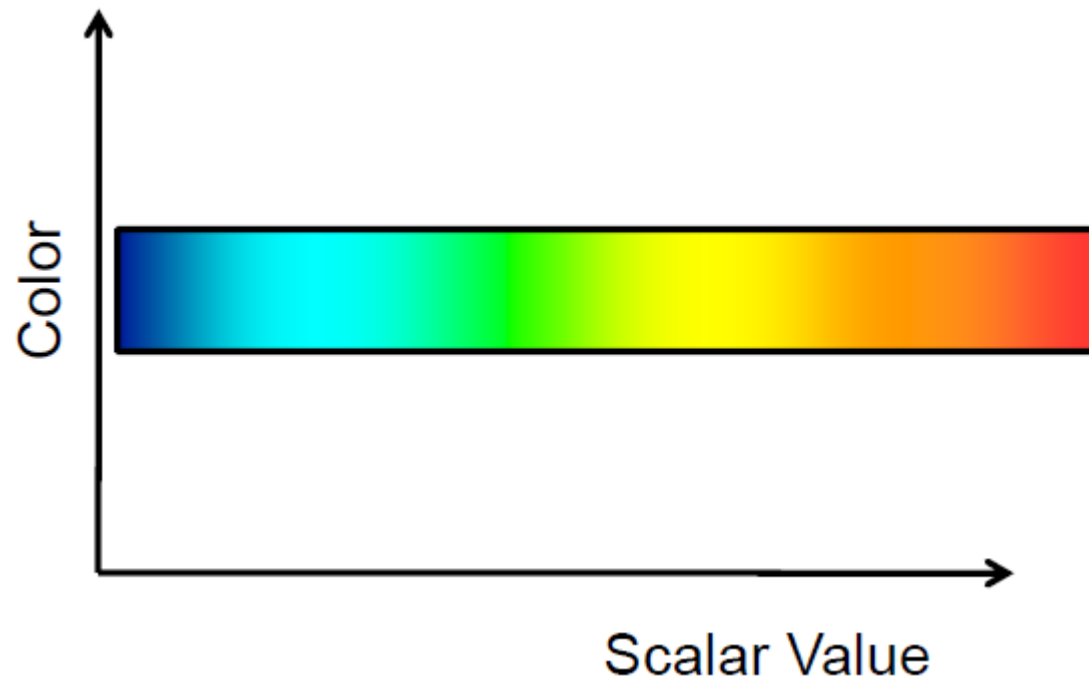


Scalar values $\rightarrow [0,1]$

$$t = \frac{S - S_{min}}{S_{max} - S_{min}}$$

normalization

To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value. The following shows a simple transfer function.



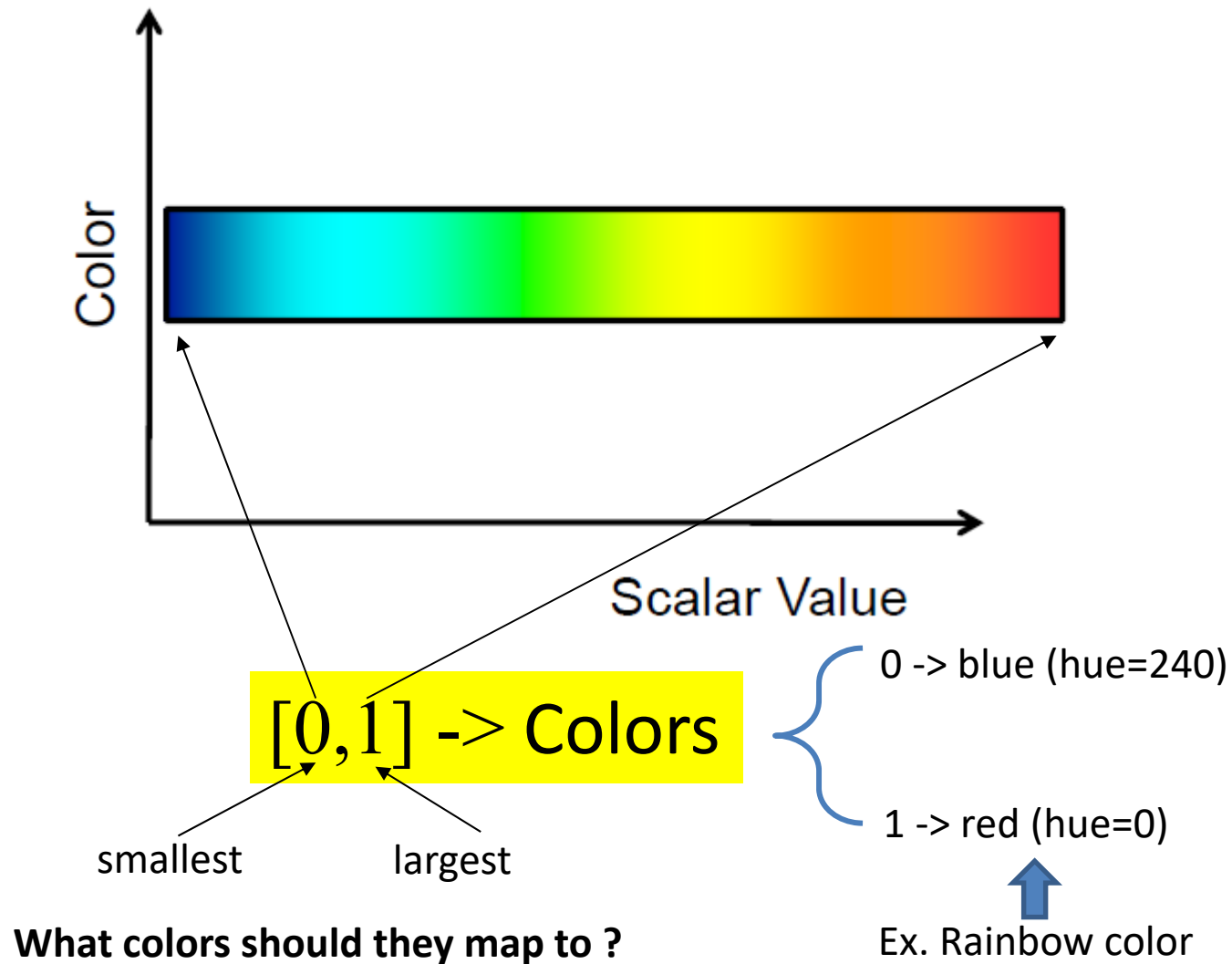
$[0,1] \rightarrow \text{Colors}$

smallest

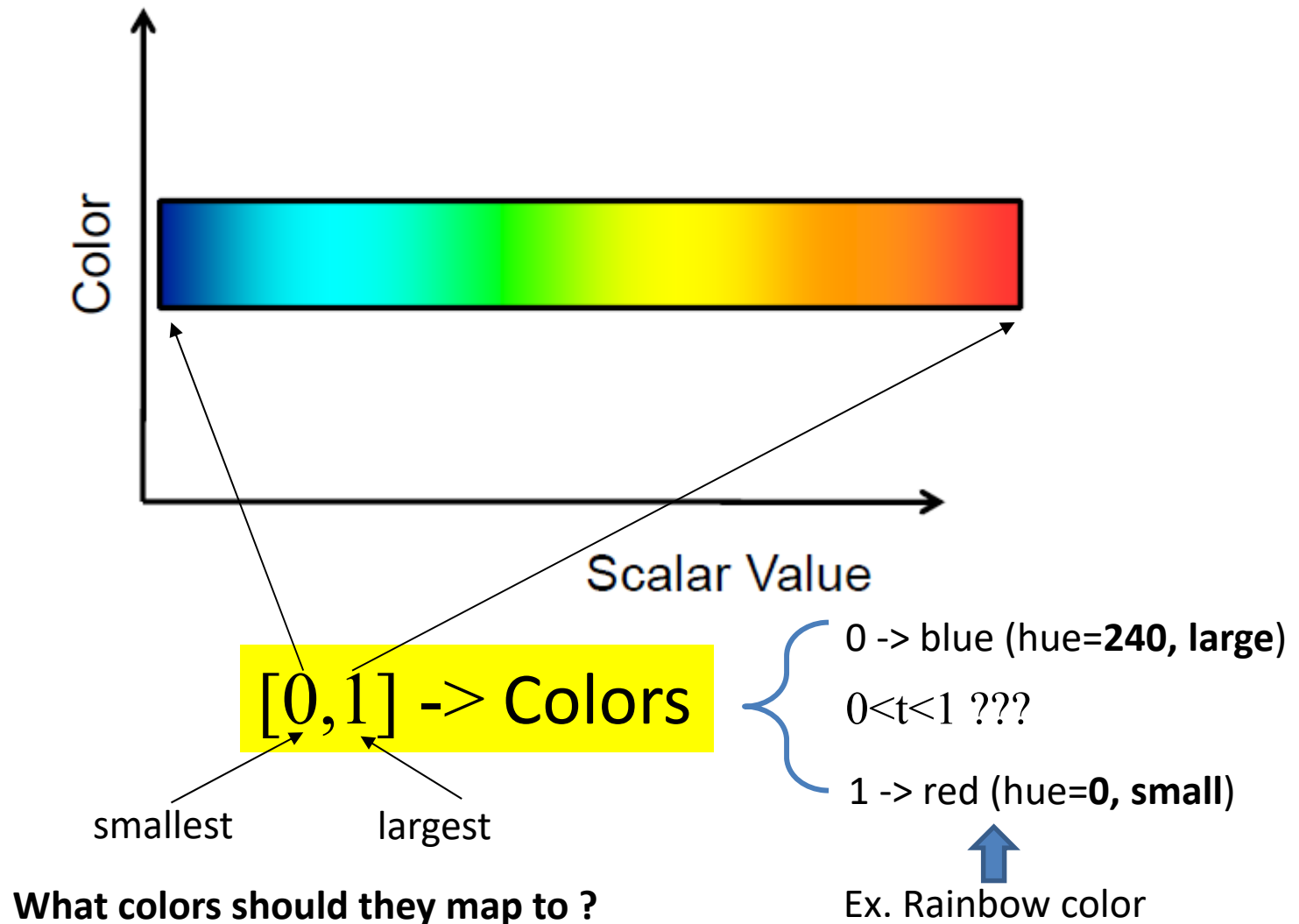
largest

What colors should they map to ?

To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value.
The following shows a simple transfer function.



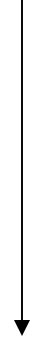
To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value.
The following shows a simple transfer function.



Normalized data value

Hue_1

0

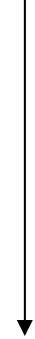


1

$240 \times t$



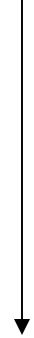
0



240

Normalized data value

0

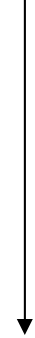


1



Hue_1

0



240

???

Hue

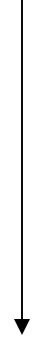
240



0

Normalized data value

0



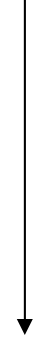
1

$$240 \times t$$



Hue_1

0



240

$$240 - Hue_1$$



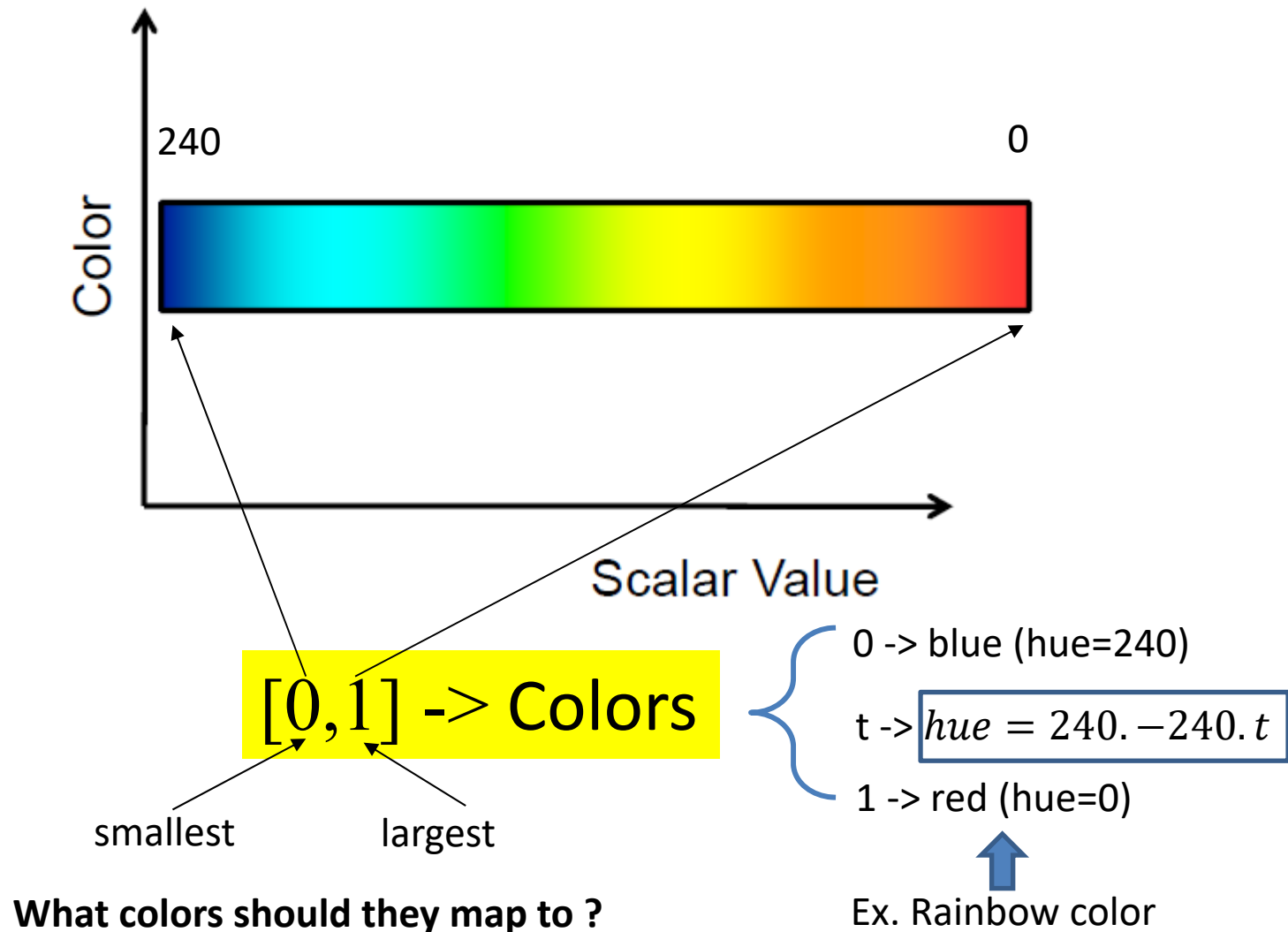
Hue

240

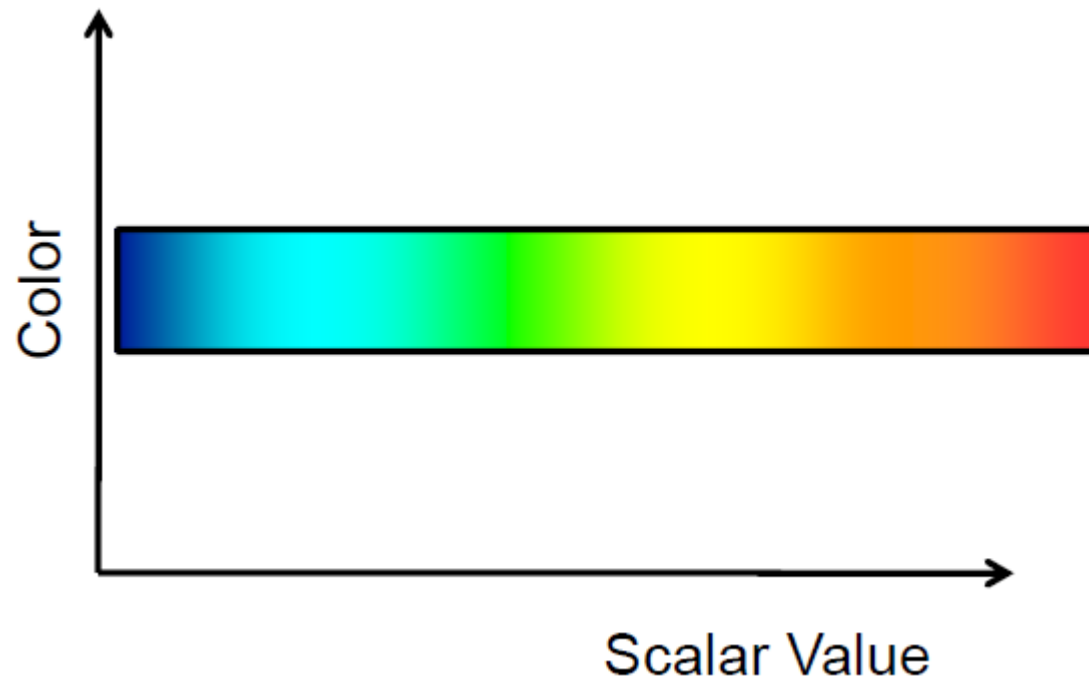


0

To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value. The following shows a simple transfer function.



To create a color plot, we need to define a proper **Transfer Function** to set **Color** as a function of Scalar Value. The following shows a simple transfer function.



Scalar values $\rightarrow [0,1] \rightarrow$ Colors

$$Hue = 240. - 240. \frac{S - S_{min}}{S_{max} - S_{min}}$$

Verify low and high!

How to achieve the following color scale?

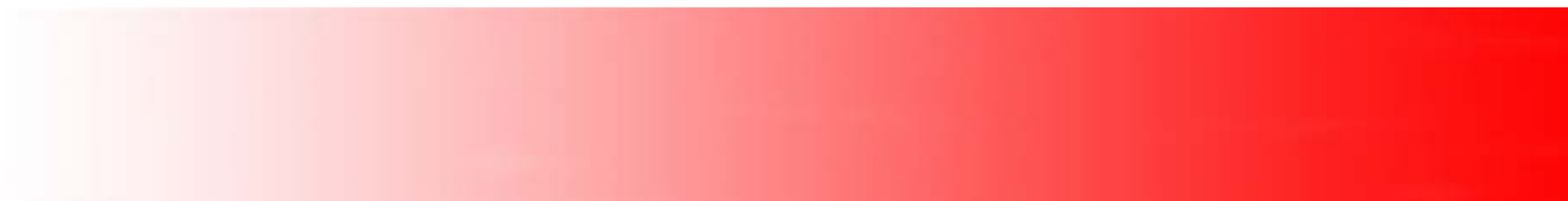


Scalar values $\rightarrow [0,1]$

$$t = \frac{S - S_{min}}{S_{max} - S_{min}}$$

normalization

How to achieve the following color scale?



Scalar values $\rightarrow [0,1]$

0 \rightarrow white
1 \rightarrow full saturated red
(hue=0)

How to achieve the following color scale?



Scalar values $\rightarrow [0,1]$

0 \rightarrow white

Saturation=0

What is between 0 and 1?

1 \rightarrow full saturated red
(hue=0)

Saturation=1

How to achieve the following color scale?



Scalar values -> $[0,1]$

0 -> white
1 -> full saturated red
(hue=0)

Saturation=0

Saturation = t, where t is in [0, 1]

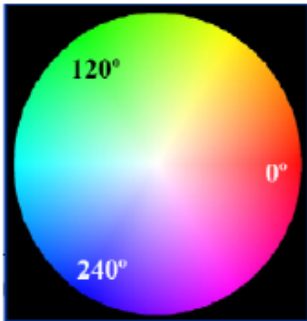
Saturation=1

Hue = 0

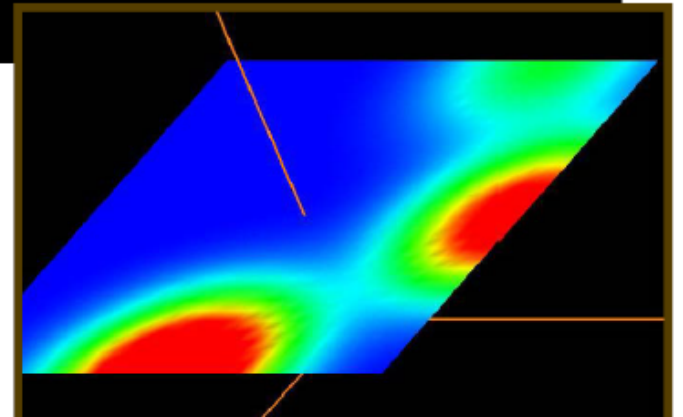
Value = 1

Use the Proper **Transfer Function** Color Scale
to Represent a Range of Scalar Values

Rainbow Scale



$$Hue = 240. - 240. \frac{S - S_{min}}{S_{max} - S_{min}}$$



Gray Scale



How to generate gray scale color scheme?

Gray Scale



How to generate gray scale color scheme?

Set $r=g=b$ = the same value (say, the normalized data value between 0 and 1)

Intensity and Saturation Color Scales



Two-Color Interpolation



How to achieve the above color scheme?

Two-Color Interpolation



How to achieve the above color scheme?

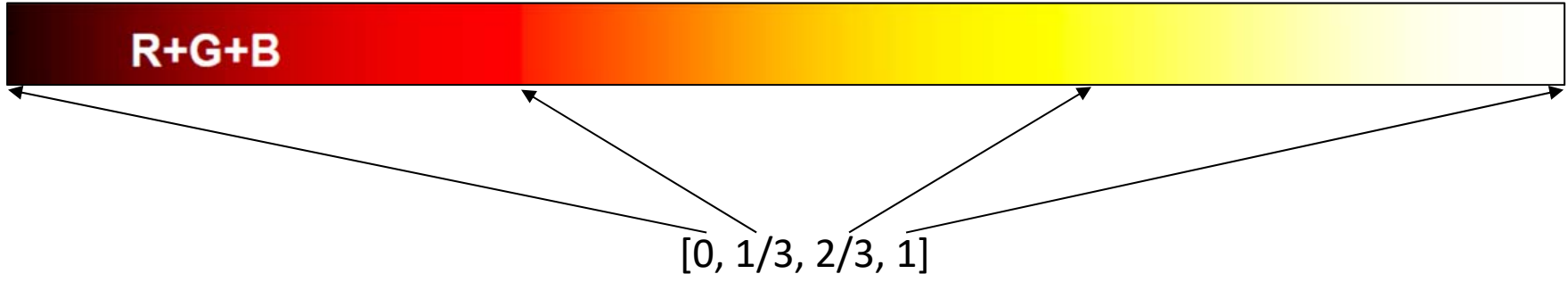
You may try a simple linear interpolation of the three color-channels of the two colors.

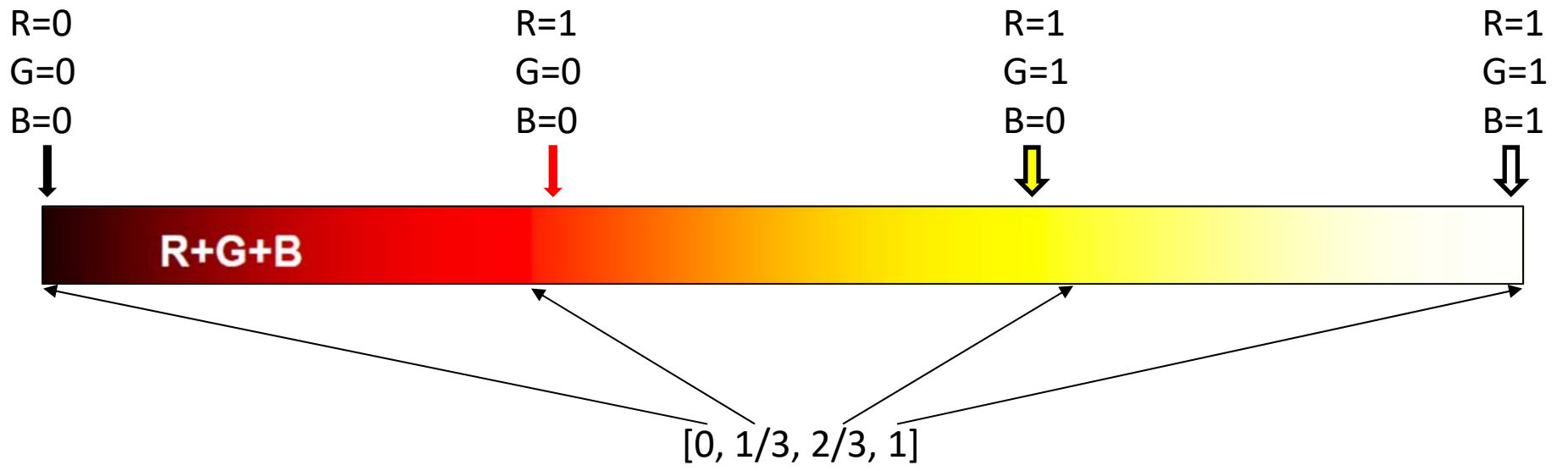
Heated Object Color Scale

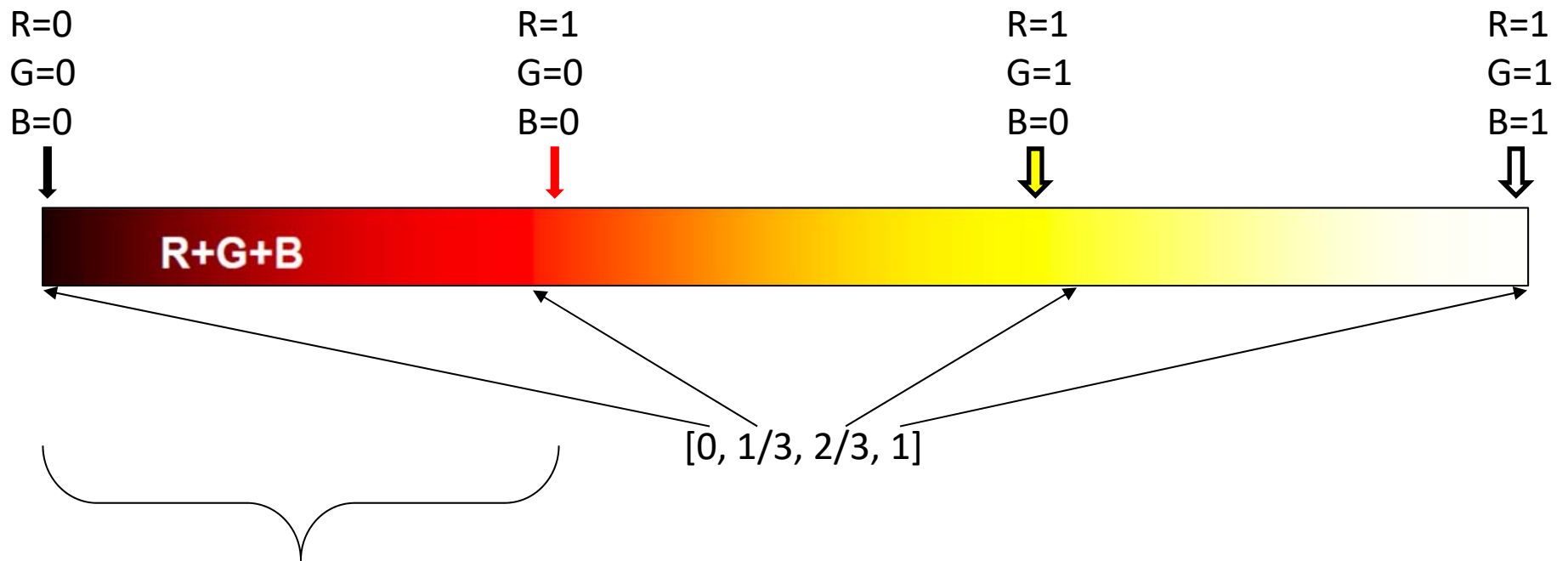


Implementation: add one color component at a time

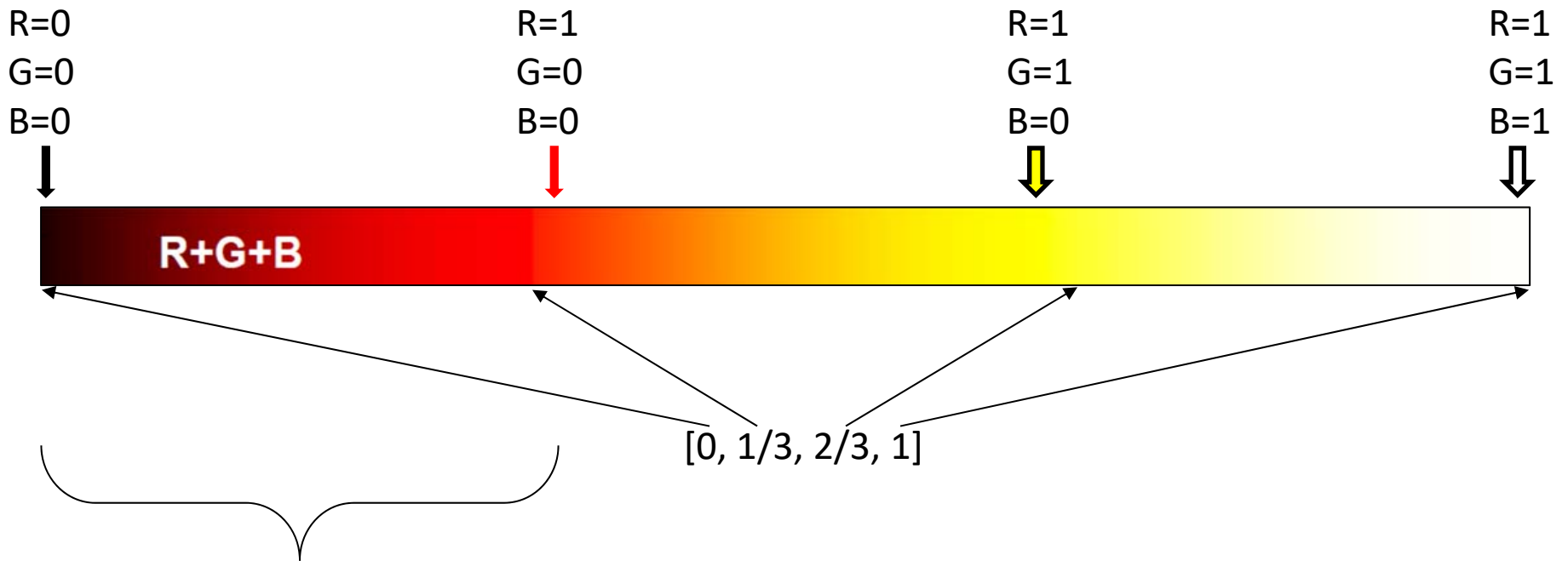








For s in $[0, 1/3]$, fixed $G=B=0$, map s to R from $[0, 1/3]$ to $[0, 1]$, that is, $R=3.0*s$



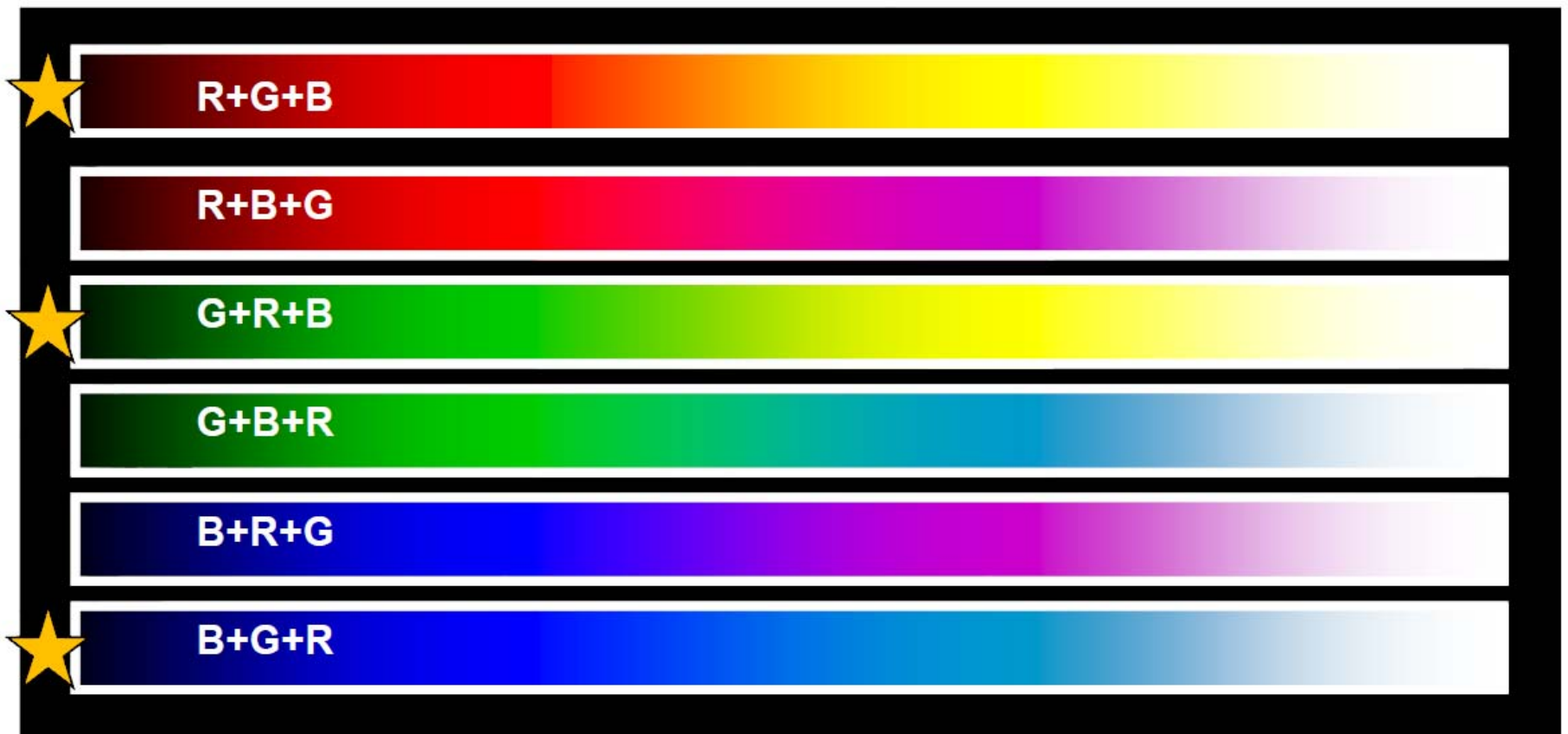
For s in $[0, 1/3]$, fixed $G=B=0$, map s to **R** from $[0, 1/3]$ to $[0, 1]$, that is, $R=3.0*s$

For s in $(1/3, 2/3]$, fixed $R=1, B=0$, map s to **G** from $(1/3, 2/3]$ to $[0, 1]$, that is, $G=?$

For s in $(2/3, 1]$, fixed $R=G=1$, map s to **B** from $(2/3, 1]$ to $[0, 1]$, that is, $B=?$

Figuring out how to determine G and B is part of your **assignment 2!**

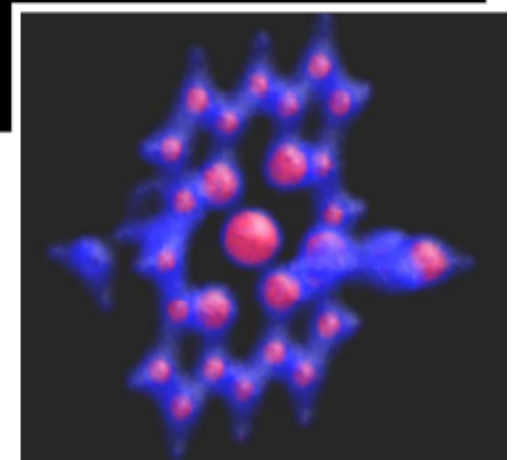
Add-One-Component at a time -- an extension from the heated object color scale



Blue-White-Red Color Scale



Diverging color scheme!

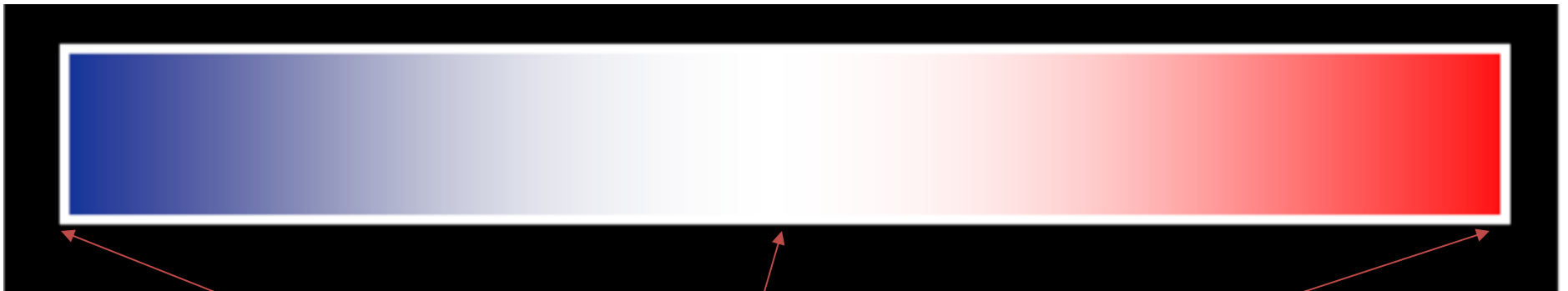


Blue-White-Red Color Scale



How to achieve it?

Blue-White-Red Color Scale



How to achieve it?

Scalar value $\rightarrow [0, \frac{1}{2}, 1]$

Blue-White-Red Color Scale



How to achieve it?

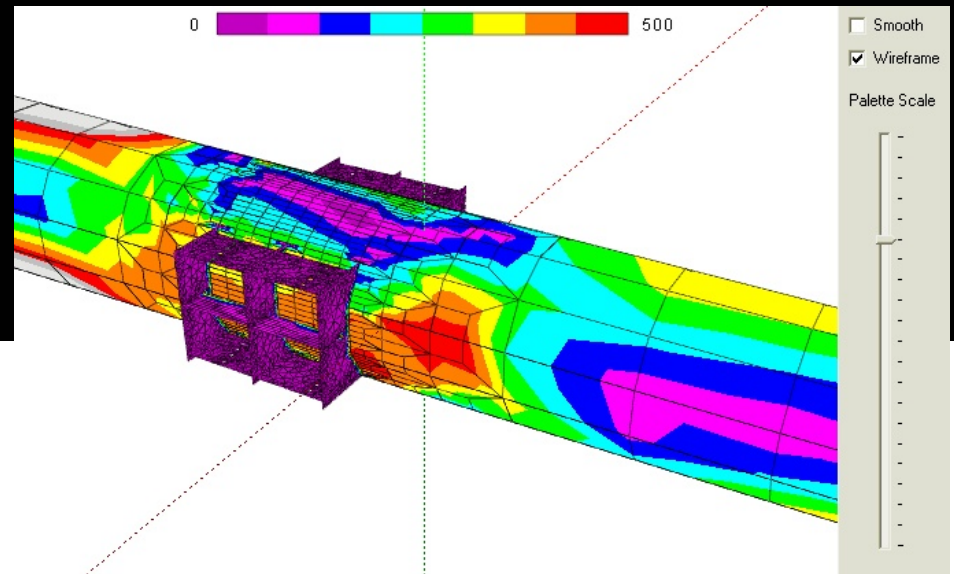
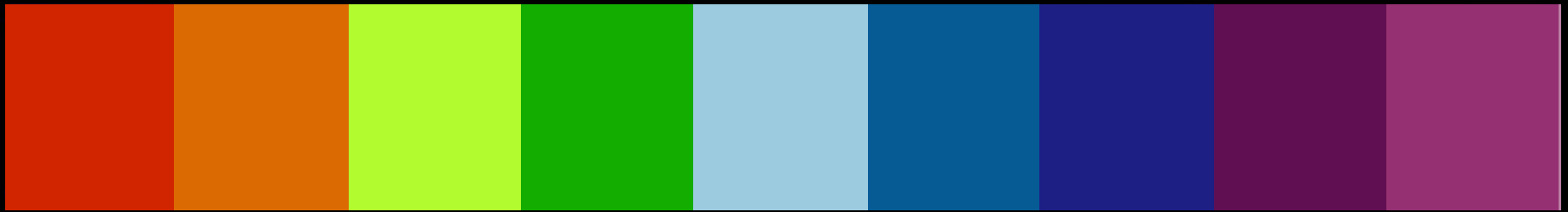
Scalar value $\rightarrow [0, \frac{1}{2}, 1]$

For $[0, \frac{1}{2}]$, saturation **reduces** from 1 to 0, hue=240 (fixed)

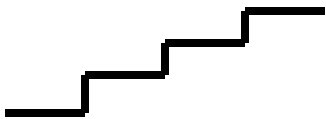
For $(\frac{1}{2}, 1]$, saturation **increases** from 0 to 1, hue=0 (fixed)

Figuring out how to update the saturation is part of your **assignment 2!**

(Discrete) Color Scale Contour

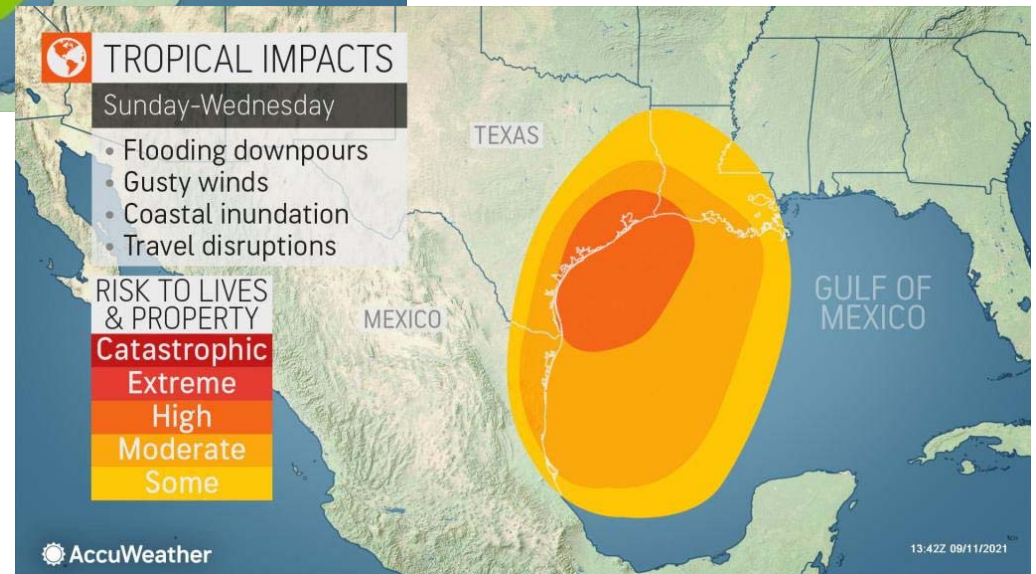
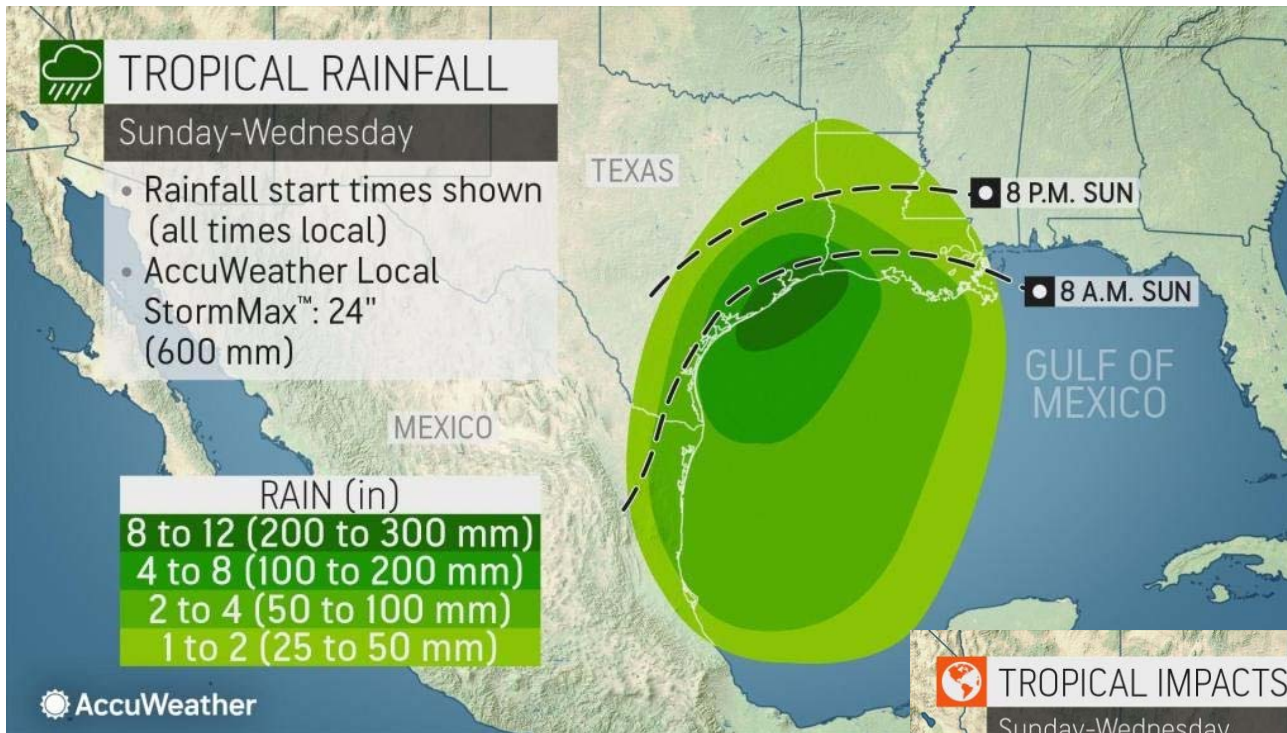


Qualitative/discrete color scheme



Source: <http://glscene.sourceforge.net>

Sequential color scales can also be discretized to help read the configuration of the scalar fields!



from AccuWeather.com

Use VTK color look-up table (discrete!)

Create and initialize a (color) lookup table

```
lut = vtk.vtkLookupTable() # Initialize the vtk lookup table
nc = 256 #the size of the table - increase this number to obtain
more precise color map
lut.SetNumberOfTableValues(nc)
lut.Build()
```

Generate the individual entries of the lookup table (**rainbow** color is shown below)

```
sMin = 0.
sMax = 1.

hsv = [0.0,1.0,1.0]

for i in range(0, nc):
    s = float(i) / nc #uniformly interpolate the scalar values
    hsv[0] = 240. - 240. *(s-sMin)/(sMax-sMin) #rainbow color calculation
    rgba = hsvRgb(hsv) # convert hsv to rgb (function provided!)
    rgba.append(1.0) # set alpha (or opacity) channel
    lut.SetTableValue(i, *rgba)
```

sMin → entry 0



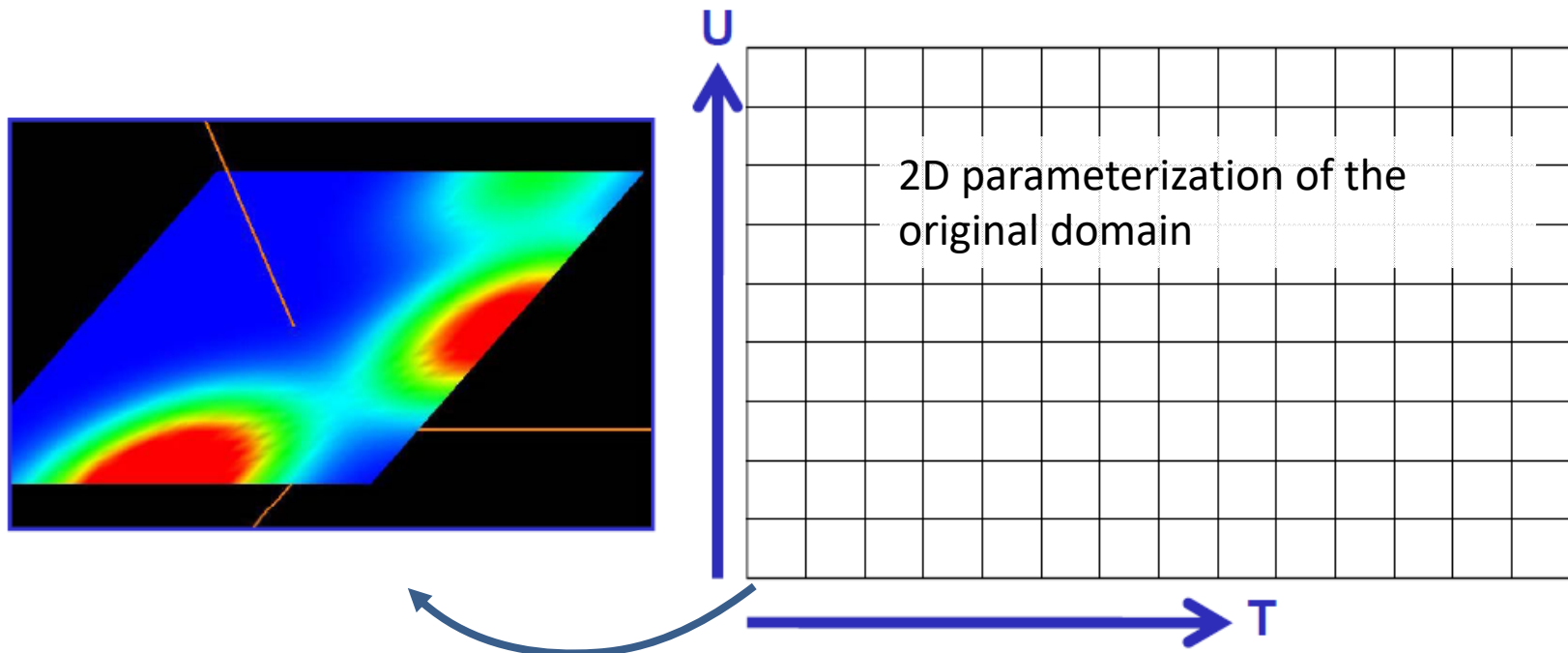
sMax → entry nc-1

Generate 2D color plots

1. Color transfer function
2. Color interpolation

2D Interpolated Color Plots

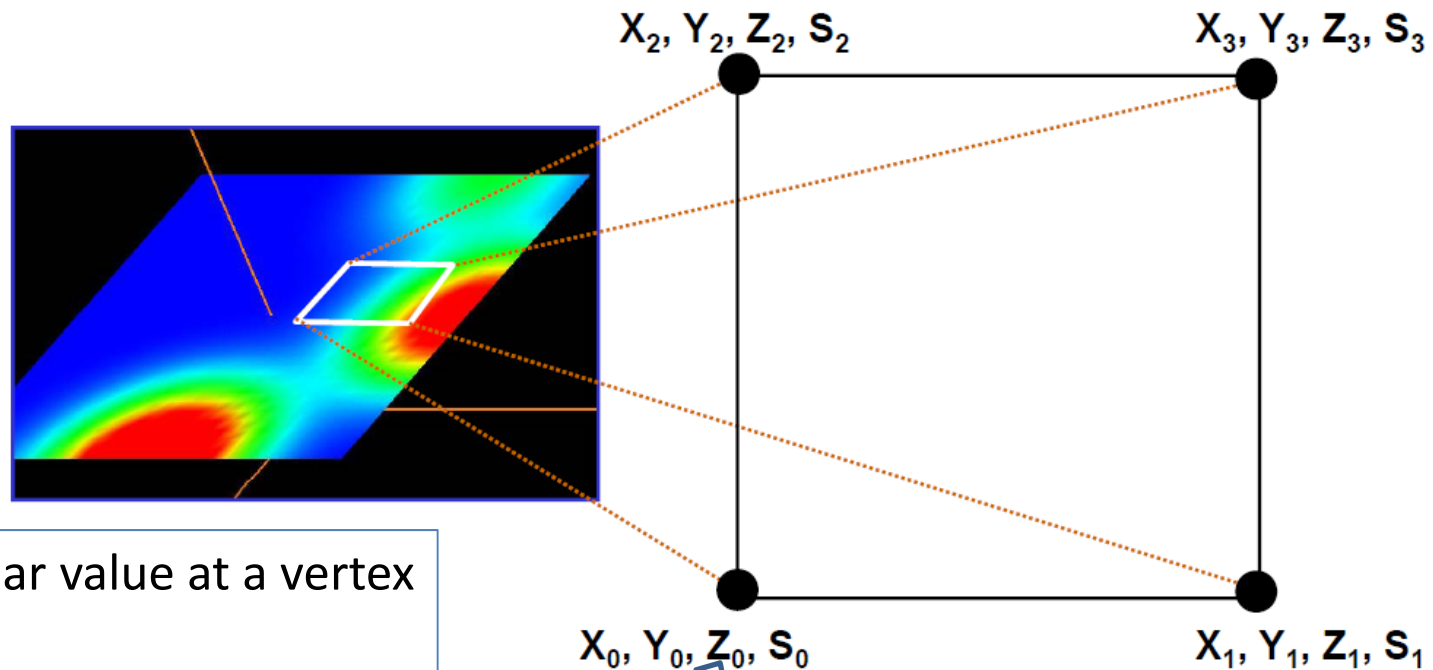
- How can we turn the **discrete** samples into a **continuous** color plot?
- Here's the **input**: we have a *2D grid* of data points. At each node, we have an X, Y, Z , and a scalar value S . We know S_{min}, S_{max} , and a **Transfer Function**.



Even though this is a 2D technique, we keep around the X, Y , and Z coordinates so that the grid doesn't have to lie in any particular plane.

2D Interpolated Color Plots

- Let us look at one **square (or quad)** of the mesh at a time



For each scalar value at a vertex

```
float arrays hsv[3], rgb[3]  
hsv[0] = 240. - 240. *  $\frac{S - S_{\min}}{S_{\max} - S_{\min}}$ ;  
HsvRgb (hsv, rgb);
```

Convert hsv color to rgb color as monitor uses additive color model!

2D Interpolated Color Plots

- What happen underneath is the calling of OpenGL drawing functions

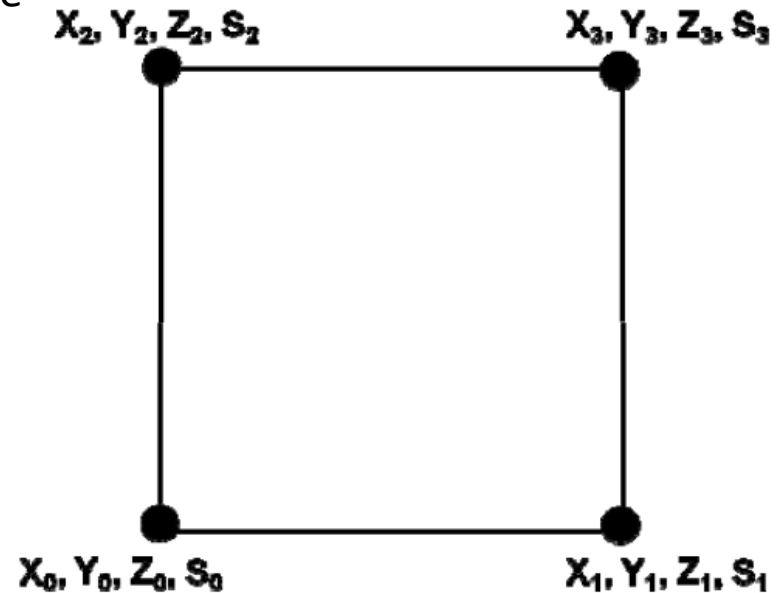
Loop through the individual quads to perform the following for each quad

```
// compute color at V0
glColor3fv (rgb0);
glVertex3f (x0, y0, z0);

// compute color at V1
glColor3fv (rgb1);
glVertex3f (x1, y1, z1);

// compute color at V3
glColor3fv (rgb3);
glVertex3f (x3, y3, z3);

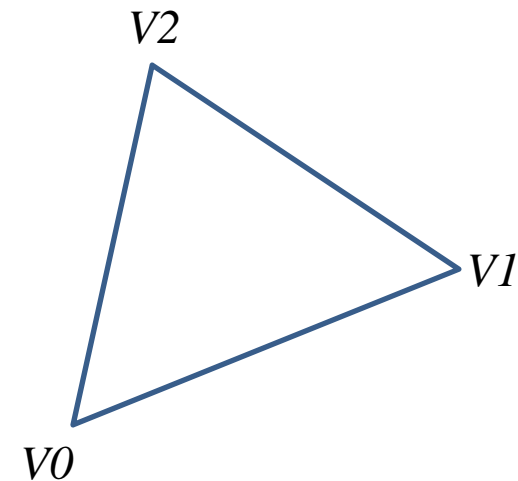
// compute color at V2
glColor3fv (rgb2);
glVertex3f (x2, y2, z2);
```



If the grid is unstructured like a triangle mesh, then...

Loop through the individual triangles to perform the following for each triangle

```
// compute color at V0  
glColor3fv (rgb0);  
glVertex3f (x0, y0, z0);  
  
// compute color at V1  
glColor3fv (rgb1);  
glVertex3f (x1, y1, z1);  
  
// compute color at V3  
glColor3fv (rgb3);  
glVertex3f (x3, y3, z3);
```



OpenGL mechanism

What are the benefits of using color plots?

What are the benefits of using color plots?

Full spatial coverage

Provide overview of the data

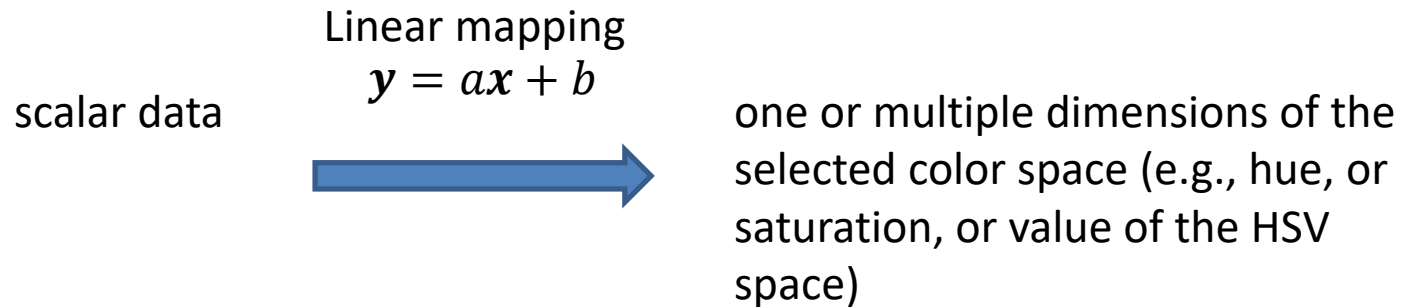
No need to extract additional information – direct method

Easy to implement

How to produce effective color plots?

How to produce effective color plots?

Choose proper color scales and design transfer functions!!!



Color interpolation between samples

Using VTK or OpenGL

Limitations of color plots?

